6/H-16 (vii) (Syllabus-2017)

2022

(May/June)

ECONOMICS

(Honours)

(Statistics)

Marks: 75

Time: 3 hours

The figures in the margin indicate full marks for the questions

Answer one question from each Unit

UNIT-I

- 1. (a) Distinguish between primary data and secondary data.
 - (b) The following data relate to the marks of 40 students in a class:

65 95 53 50 84 79 68 52 56 67 59 54 78 42 80 69 77 81 73 69 80 64 70 79 49 90 66 84 51 71 72 96 79 50 86 94

Prepare a suitable frequency table and calculate the mean deviation from the arithmetic mean.

2+4=6

(Turn Over)

(c) Calculate the median from the following data:

| Age | No. of Persons |
|-------|----------------|
| 20-25 | 14 |
| 25–30 | 28 |
| 30–35 | 33 |
| 35-40 | 30 |
| 40-45 | 20 |
| 45–50 | 15 |
| 50-55 | 13 |
| 55-60 | 7 |

2. (a) The following data are the goals scored by a team of players. Calculate the mean and the standard deviation of 4+4=8

| No. of goals | No. of Players | |
|--------------|----------------|------------|
| 2 | 2 | |
| 3 | 4 | |
| 4 | 5 | |
| 5 | 7 | |
| 6 | 3 | |
| 7 | 4 | |
| 8 | 3 | |
| 9 | 2 | |
| | | (Continued |

| | (b) | | | | and f var | | | = 64, | find | the | 3 |
|----|---------|---|------|--|--------------|-------|-------|---------|--------|------|-----|
| | (c) | | | lowin | g res | ults | are o | btain | ed fr | om | |
| | | in to le | | | 50, s | | | | | | |
| | | Fine | l th | ie m | edian | 1. | | | | | 4 |
| | | | | | UNI | T—II | 572 | | | | |
| | (a) | | | | relati | | Expl | lain | diffe | | 5=7 |
| | (b) | Prove that $b_{xy} \cdot b_{yx} = R^2$, where R is | | | | | | | | | |
| | | cori | rela | tion. | | | | | | | 4 |
| | (c) | | | 100 Sept 100 | corre | | n coe | efficie | nt (R) | lies | 4 |
| ١. | (a) | Wh | y a | are th | nere | two 1 | egre | ssion | lines | s? | 3 |
| | (b) | Giv | en | the | follov | wing | data | | | | |
| | X | | L | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 |
| | Y | : 9 | 9 | 8 | 10 | 12 | 11 | 13 | 14 | 16 | 9 |
| | | Fir | ıd- | _ | | | | | | | |
| | | (i, |) t] | ne re | gress | ion e | quat | ion o | f Y or | X; | |
| | | (ii | | | gress | | | | | | |
| | STELLS. | (iii |) t | he c | orrela | ation | coef | ficier | it be | twee | n |

X and Y.

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4+4+4=12

UNIT-III

| 5. | (a) | Explain | the | components | of time | series. | 5 |
|----|-----|---------|-----|------------|---------|---------|---|
|----|-----|---------|-----|------------|---------|---------|---|

(b) The number of employees employed in a factory is given below:

| Year | No. of Employees |
|------|------------------|
| 2005 | 63 |
| 2006 | 68 |
| 2007 | 74 |
| 2008 | 80 |
| 2009 | 88 |
| 2010 | 86 |
| 2011 | 90 |
| 2012 | 98 |
| 2013 | 96 |
| 2014 | 100 |
| 2015 | 102 |
| 2016 | 108 |
| 2017 | 108 |

Estimate the trend using 3-yearly and 4-yearly moving average. 10

6. Explain various methods of curve fitting with suitable examples.

UNIT-IV

| 7. | (a) | What | are | index | numbers? | What | are |
|----|-----|-------|------|-------|----------|------|-------|
| | | their | uses | ? | | | 2+3=5 |

(b) Distinguish between time reversal test and factor reversal test.

(c) From the following data, compute
Fisher's price and quantity index
numbers for the current year: 3+3=6

Current Year Base Year Price (₹) Quantity Quantity Price (?) Commodity 15 12 12 10 15 20 20 24 16

8. (a) Describe various problems involved in the construction of index number.

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(Turn Over)

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Poisson distribution are equal.

(i) Cluster sampling

(iii) Systematic sampling

Prove that the mean and variance of

Write notes on any two of the following:

 $3 \times 2 = 6$

for expenditures Prices and commodities A, B, C, D and E for the years 1990 and 2000 are given below:

| | | 1990 | 2000 | | |
|-----------|-------|-------------|-------|-------------|--|
| Commodity | Price | Expenditure | Price | Expenditure | |
| A | 10 | 50 | 15 | 75 | |
| B | 15 | 45 | 18 | 72 | |
| C | - 12 | 72 | 10 | 80 | |
| D | 5 | 40 | 8 | 56 | |
| E | 20 | 60 | 30 | 120 | |

Compute Laspeyres' and Paasche's index numbers.

UNIT-V

- Three coins are tossed simultaneously. What is the probability that the three coins show (i) 3 heads (ii) 2 heads and 2+3=5 1 tail?
 - Define mathematical expectation of a random variable. that the Prove expectation of the sum of two random variables is equal to the sum of their 3+7=10 expectations.

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Continued)

(ii) Stratified random sampling

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